Virtual Humans – Winter 23/24

Lecture 10_1 – Humans and NeRF

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Goal: Novel View Synthesis



Input: Sparsley sampled images of the scene

Learn scene representation

Novel view synthesis of the scene

Novel View Synthesis

Learning radiance field representation of scene:



Volume Rendering

Given color and density (r,g,b,σ) , we calculate the color of every camera ray using:



Volume Rendering in NeRF

Given color and density (r,g,b,σ) , we calculate the color of every camera ray using:

$$\hat{C}(\mathbf{r}) = \sum_{i=1}^{N} T_i (1 - \exp(-\sigma_i \delta_i)) \mathbf{c}_i$$
Uniform N samples
$$t_i \sim \mathcal{U}[t_n + \frac{i-1}{N}(t_f - t_n), t_n + \frac{i}{N}(t_f - t_n)]$$
Distance between adjacent samples
$$\delta_i = t_{i+1} - t_i$$
Alpha(in traditional alpha composting)
$$\alpha_i = 1 - \exp(-\sigma_i \delta_i)$$

Neural Radiance Fields



Training NeRF:

- 1) March camera rays through the scene to generate a sampled set of 3D points
- 2) Use those **points and** their corresponding 2D **viewing directions** as input to the neural network to produce an output **set of colors and densities**
- 3) Use classical volume rendering techniques to **accumulate those colors and densities** into a 2D image
- 4) Minimize error between rendered color and GT color

Neural Radiance Fields



Tannick et al. ECCV 20

Novel view synthesis using NeRF

Generated results are blurry



Ground Truth



No Positional Encoding

Why blurry results?

Can coordinate based MLP learn high-frequency details?



(a) Coordinate-based MLP

Tannick et al. NeurIPS 20

Why blurry results?

Coordinate based neural network fail to learn high frequency details for all kind of data including RGB image, 3D shape, density , etc



(a) Coordinate-based MLP

Tannick et al. NeurIPS 20

Solution:

- In naive setting, the bandwidth of the Neural Tangent Kernel limits the spectrum of the recovered/learned function.
- Using a Fourier feature mapping transforms the neural kernel into a stationary kernel in our low-dimensional problem domains and increase the spectrum.

$$\gamma(p) = \left(\sin\left(2^{0}\pi p\right), \cos\left(2^{0}\pi p\right), \cdots, \sin\left(2^{L-1}\pi p\right), \cos\left(2^{L-1}\pi p\right)\right)$$
Coordinate input e.g. pixel
location for images, 3D
point for NeRF

Tannick et al. NeurIPS 20

Fourier Features in Coordinate MLPs



Tannick et al. NeurIPS 20

(a) Coordinate-based MLP

Positional Encoding in NeRF

With fourier features/positional encoding, NeRF learns high frequency details.



Ground Truth



No Positional Encoding



Complete Model Tannick et al. NeurIPS 20

Positional Encoding in NeRF

With fourier features/positional encoding, NeRF learns high frequency details.

Without positional encoding



Position + View dir.

Veural network
10 layers
128 neurons

Density & Color

💿 nvidia.

Positional Encoding in NeRF

With fourier features/positional encoding, NeRF learns high frequency details.

Without positional encoding



With positional encoding



Geometry in NeRF

Scene geometry can be approximated using threshold



Rendered Camera Path

Expected Ray Termination Depth

Tannick et al. ECCV 20

1. Scene specific and only static scene can be modeled.



Image generated with NeRF

GT image of a dynamic scene

2. No editing and control

- Learned scene cannot be modified.
- Scene is memorized within the network

3. Generalization

- Scene specific models.
- Large number of images are needed



4. Expensive training:

- Training is slow(10 hours-up to few days)
- Inference is also not real time

5. Surface extracted is not accurate and depends on threshold.



GT image

NeRF (density threshold $\sigma = 50$)



GT image of a

dynamic scene

1. Scene specific and only static scene can be modeled.



Image generated with NeRF

What about dynamic scenes?



What about dynamic scenes?

Learn radiance field given 3d point, viewing direction and time



Can we learn this mapping directly using NeRF?

Learn radiance field given 3d point, viewing direction and time



Proposed solution: D-NeRF

Learn canonical shape and radiance field in the canonical shape



Proposed solution: D-NeRF

Learn canonical shape and radiance field in the canonical shape



Synthesis Results



Elevation ϕ





Closest Input View

Closest Input Time



D-NeRF: Visualization of learned scene representation



Conclusion:Dynamic Scenes with D-NeRF

• Disentangle time dependent deformation from neural rendering network.

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- Correspondence between canonical shape and deformed shape is defined by



D-NeRF Canonical Mapping (color-coded as $\mathbf{x} + \Delta \mathbf{x}$)

Conclusion:Dynamic Scenes with D-NeRF

- Disentangle time dependent deformation from neural rendering network.
- Correspondence between canonical shape and deformed shape is defined by
- Time varying shading effects are modeled.



D-NeRF Canonical Mapping (color-coded as $\mathbf{x} + \Delta \mathbf{x}$)



2. No editing and control

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3. Generalization

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Control-NeRF

Control NeRF for scene manipulation and rendering



a) Original scenes

T-rex inserted inside the garden scene

Second T-rex added to the scene



b) Inserting objects from one scene into another

c) Copying and moving objects within the scene

Control-NeRF

- **Prior Work**: Scene is memorized within the neural network, which makes compositing of scenes and editing hard.
- Key Idea: Decouple scene representation from neural rendering network.


Control-NeRF

1. Scene representation:

- Given a set of input images $\mathcal{I}=\{I^i_s\}_{i=1}^{N_s}$ from M training scenes

Volumetric scene representations



- Where $s \in \mathcal{S}$ is set of training scenes and $M = |\mathcal{S}|$
- Scene representation network learns a volumetric feature
- where $W \times H \times D$ is the spatial resolution of grid which feature vector of length F.



Lazova et al. WACV'23

Control-NeRF

2. Neural rendering network with feature volumes



 $V_s(p)$:Volumetric feature at query point p

Control-NeRF

Training and Inference



Lazova et al. WACV'23

Control-NeRF: Training

1. Multi-resolution Volume training

- Hierarchical training process is used to compute the volumes in a coarse-to-fine manner.
- Train low resolution(16^3) volume till convergence.
- Upsample the learnt feature volume and train till convergence

- Improved training time.
- High-quality image synthesis and manipulation.

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Control-NeRF: Training

- 2. Multi Scene training
 - Efficient training strategy: Sample one training scene and train for N iterations, before saving the volume grid

Control-NeRF: Training

3. Generalization to Novel Scenes

- Fix neural rendering network and learn feature volume for novel scene.
- Given sufficient training scenes, the learnt radiance function can be applied to optimize for novel scenes more efficiently.

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Control NeRF: Scene editing and manipulation

• Scene editing and composting with Control-NeRF:



Lazova et al. WACV'23

Control NeRF: Scene editing and manipulation

• Scene editing and composting with Control-NeRF:



Original Scene

Removing objects

Multiplying objects

Goal:



Goal: Scene Editing





Limitations of NeRF:

4. Expensive training:

- Training is slow(10 hours-upto few days)
- Inference is also not real time

Neural Graphics Primitive

• An object (shape and appearance) represented by queries to a neural network. e.g. images, SDF, NeRF



- 1. Smaller neural network
- Standard MLP with L layer, M neurons each, ReLU activations and no biases .For a constant batch size, the cost is:
 - Compute: $\mathcal{O}(M^2)$
 - Memory: $\mathcal{O}(M)$

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Entire neural network implemented as single (CUDA) kernel

Mueller et al. SIGGRAPH'22

Positional Encoding in NeRF

2. Input encoding



Positional Encoding in NeRF

2. Input encoding



2. Input encoding: Multiresolution Hash Encoding

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Multiresolution grids:

• Automatic level of details

2. Input encoding: Multiresolution Hash Encoding



- Task agnostic
- Fast query and computation
- Table size T control quality vs. memory

2. Input encoding: Multiresolution Hash Encoding



• Linear interpolation for continuous query.

Instant NeRF training

INSTANT NERF TRAINING



Mueller et al. SIGGRAPH'22

Instant SDF training

INSTANT SIGNED DISTANCE FUNCTION TRAINING



💿 nvidia.

Mueller et al. SIGGRAPH'22

Conclusion: Instant-NGP

Rendering/training algorithm

Small neural network



- Task-specific
 GPU implementation
- 10-100x faster than naïve tensor-based approach
- Fully fused implementation
- 5-10x faster than TensorFlow



- Multiresolution hash encoding
- Better speed-vs-quality tradeoff than prior work
- Task agnostic

Limitations of NeRF

5. Surface extracted is not accurate and depends on threshold.



Surface Rendering v/s Volume Rendering

Surface Rendering (Implicit Surfaces)

High quality geometry
 Clear surface definition

Mask supervision required
Texture mapping is blurry



Surface Rendering v/s Volume Rendering

Surface Rendering (Implicit Surfaces)

High quality geometry
 Clear surface definition

Mask supervision required
Texture mapping is blurry

Volume Rendering (Radiance fields)

- Surface is approximated

Without mask supervision
 High quality novel views and sharp textures/colors





Best of both worlds

Surface Rendering (Implicit Surfaces)

High quality geometry
 Clear surface definition

Mask supervision required Texture mapping is blurry Volume Rendering (Radiance fields)

Surface is approximated

Without mask supervision
 High quality novel views and sharp textures/colors







NeRF Volume rendering:

$$\hat{C}(\mathbf{r}) = \sum_{i=1}^N T_i (1 - \exp(-\sigma_i \delta_i)) \mathbf{c}_i$$

NeRF Volume rendering with density

$$egin{aligned} \hat{C}(\mathbf{r}) &= \sum_{i=1}^N lpha_i \Pi_{j=1}^i (1-lpha_j) \mathbf{c}_i \ lpha_i &= 1 - \exp(-\sigma_i \delta_i)) \end{aligned}$$

Oechsle et al. ICCV'21

NeRF Volume rendering with density

$$\hat{C}(\mathbf{r}) = \sum_{i=1}^N lpha_i \Pi_{j=1}^i (1-lpha_j) \mathbf{c}_i$$

NeRF Volume rendering with density

$$\hat{C}(\mathbf{r}) = \sum_{i=1}^N lpha_i \Pi_{j=1}^i (1-lpha_j) \mathbf{c}_i$$

Key Idea: For solid objects, $\alpha_i = 1 - \exp(-\sigma_i \delta_i))$, corresponds to an occupancy field O_i at *i*th sample.

$$\hat{C}_v({f r}) = \sum_{i=1}^N o_i \Pi_{j=1}^i (1-o_j) {f c}_i$$

Oechsle et al. ICCV'21

NeRF Volume rendering with density

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Key Idea: For solid objects, $\alpha_i = 1 - \exp(-\sigma_i \delta_i))$, corresponds to an occupancy field O_i at *i*th sample.

$$\hat{C}_v({f r}) = \sum_{i=1}^N o_i \Pi_{j=1}^i (1-o_j) {f c}_i$$

Given occupancy of surface, we can now render the same scene with surface rendering.

Key Idea:

- Volume rendering in early stage:
 - Optimization without mask
- Surface rendering in later stage:
 - Level-set surfaces

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Rendering Procedure

► Find surface along a ray: uniform sampling + iterative secant method



Rendering Procedure

► Find surface along a ray: uniform sampling + iterative secant method



► Define interval at the surface



Rendering Procedure

► Find surface along a ray: uniform sampling + iterative secant method



- Volume rendering with occupancies



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Rendering Procedure

Transition from Volume rendering to Surface rendering

• Exponential decay of interval Δ_k wrt. iterations k


Unifying Implicit Surfaces and Radiance Fields

Rendering Procedure

Transition from Volume rendering to Surface rendering

• Exponential decay of interval Δ_k wrt. iterations k



Theorem

Volume and surface rendering become equivalent when reducing the interval and increasing the number of samples.

$$\lim_{\substack{\Delta \to 0 \\ v \to \infty}} \hat{C}_v(\mathbf{r}) = \hat{C}_s(\mathbf{r})$$

Oechsle et al. ICCV'21

Unifying Implicit Surfaces and Radiance Fields

Comparison on the DTU MVS dataset



Ours

More on NeRF

Dynamic NeRFs:

- TöRF Attal et al., NeurIPS 2021
- NSFF, Li et al., CVPR 2021
- •

NeRF from few images:

- PixelNeRF, Yu et al., CVPR 2021
- •

NeRF + implicit surfaces:

- NeUS, Wang et al., NeurIPS 2021
- VolSDF, Yariv et al., NeurIPS 2021
- •
- Many more

Checkout NeuralFields: https://neuralfields.cs.brown.edu/